

NU Econ 101: Lecture 1

Lecturer: Shane Auerbach

Tue 31/05/16

Where are we now?

- 1 Intro
- 2 Course organization
- 3 Preferences and rationality
- 4 The utility function
- 5 Review of reading
- 6 Discussion
- 7 Forward

What is economics?

Economics is the study of how individuals and societies **choose** to use the **scarce** resources that nature and previous generations have provided.

Choice: How do individuals and societies make choices?

$$\max_{\text{choices}} \text{something}(\text{choices})$$

Scarcity: Without scarcity, the problem is unconstrained optimization. With scarcity:

subject to constraints on choices.

Microeconomics and macroeconomics

Microeconomics

The branch of economics that examines the functioning of individual industries and the behavior of individual decision-making units, i.e., firms and households.

Macroeconomics

The branch of economics that examines the economic behavior of aggregates—income, employment, output, etc.—on a national scale.

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Course website

Course website:

<http://www.shaneauerbach.com/teaching/16su101>

All important materials will be posted here.

We will not use Moodle.

Class times, office hours, and introductions

Class times: Tuesday, Wednesday, Thursday 12:30-14:15 and 14:30-16:15

Class location: NU SHSS 8.154

Office hours: Tuesday, Wednesday, Thursday 09:00-10:30

Office location: 8209

Introductions: 10-15 minute meetings with each student. Use sign-up sheet in class.

Exams, problem sets, and grading

- PS1 due Tuesday, June 7
- PS2 due Tuesday, June 14
- Midterm exam on Tuesday, June 21 (in class)
- PS3 due Tuesday, June 28
- PS4 due Tuesday, July 5
- PS5 due Tuesday, July 12
- Final exam on Monday, July 18 (time and location TBD)

Problem sets **due beginning of class**. Can work in groups up to 3 people. To be assigned to a group:

<http://www.shaneauerbach.com/grouprequest>

See syllabus for further grading details.

Textbook, readings, accommodations, and integrity

The **textbook** for this course:

Principles of Economics, 10.e., by Case, Fair, and Oster

Many copies in library available for checkout.

Readings listed in syllabus are to be done **before** the lecture.

Contact me immediately regarding **accommodations** for disabilities.

Cheating is bad.

Course outline

- 1 Part 1: Consumer theory
 - How do individuals/consumers/households make choices?
- 2 Part 2: Producer theory in perfect competition
 - Given perfect competition, how do firms make choices?
- 3 Part 3: Market equilibrium, imperfections, and government
 - What happens when consumers and firms interact?
 - Markets: When do they work and when do they fail?
 - What happens without perfect competition?
 - What role should government play?

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A notation for preferences

Let X denote a set of options (or states of the world).

Weak preference relation

Let $x \in X$ and $y \in X$ denote two distinct options:

- $x \succeq_i y$ means that, for agent i , x is weakly preferred to y .

We may call \succeq_i agent i 's *preference relation*.

Indifference and strict preferences

- $x \sim y \iff (x \succeq y \wedge y \succeq x)$
- $x \succ y \iff (x \succeq y \wedge y \not\succeq x)$

Economists typically take preferences as exogenous/given.

Example of preferences

$X = \{\mathbf{W}$ atch a movie, \mathbf{R} ead a book, \mathbf{B} rowse the internet $\} = \{w, r, b\}$

Match the agents:

- Anna's first choice is w . If she cannot have w , she is indifferent between r and b .
- Bob prefers r to w and b and prefers b to w .
- Claude dislikes w , preferring both other options, and weakly prefers r to b .
- Deborah is indifferent between all options.

With their preferences:

- $r \succeq b \succ w$ Solution: Claude
- $w \prec b \prec r$ Solution: Bob
- $w \succ b \sim r$ Solution: Anna
- $w \sim r \sim b$ Solution: Deborah

Rationality

Two assumptions on preferences:

- 1 \succsim on X is **complete** if, for any $x, y \in X$, either $x \succsim y$ or $y \succsim x$ (or both).
- 2 \succsim on X is **transitive** if, for any $x, y, z \in X$,
 $(x \succsim y \wedge y \succsim z) \implies x \succsim z$.
 - Or, for strict relations:
 - $(x \succ y \wedge y \succ z) \implies x \succ z$
 - $(x \sim y \wedge y \sim z) \implies x \sim z$
 - $(x \succ y \wedge y \sim z) \implies x \succ z$
 - $(x \sim y \wedge y \succ z) \implies x \succ z$

Rationality

\succsim on X is **rational** if it is complete and transitive.

A blind date experiment (1)

Your friend is offering to set you up with either Adam/Anna or Bill/Brenda:

Adam/Anna: very intelligent, plain-looking, well-off

Bill/Brenda: intelligent, very good-looking, poor

Which one would you pick? Write down:

- 1 if you pick Adam/Anna
- 2 if you pick Bill/Brenda

A blind date experiment (2)

Your first date failed, so your friend offers to set you up again:

Eric/Elizabeth: fairly intelligent, good-looking, rich
Christian/Christina: intelligent, very good-looking, poor

Next to your first digit, write down:

- 1 if you pick Christian/Christina (!! order reversed)
- 2 if you pick Eric/Elizabeth (!! order reversed)

You should now have a two-digit number.

A blind date experiment (3)

Your second date also didn't work out, so one more try:

Ricardo/Rebecca: fairly intelligent, good-looking, rich

Nathan/Naomi: very intelligent, plain-looking, well-off

Now add a third digit to the number you have so far:

- 1 if you pick Ricardo/Rebecca
- 2 if you pick Nathan/Naomi

You should now have a three-digit number.

A blind date experiment (Results)

There are eight three-digit numbers that you could have:

- | | | | |
|----------------|----------------|----------------|---------------|
| ● 111
(18%) | ● 121
(23%) | ● 211
(0%) | ● 221
(6%) |
| ● 112
(40%) | ● 122
(2%) | ● 212
(11%) | ● 222
(0%) |

But it turns out that 111 and 222 actually violate transitivity!

111 implies:

$$(VI, PL, WO) \succ (I, VGL, P) \succ (FI, GL, R) \succ (VI, PL, WO)$$

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The problem, a thought experiment, and an answer

The problem:

- Modeling choices through preference relations is clunky.

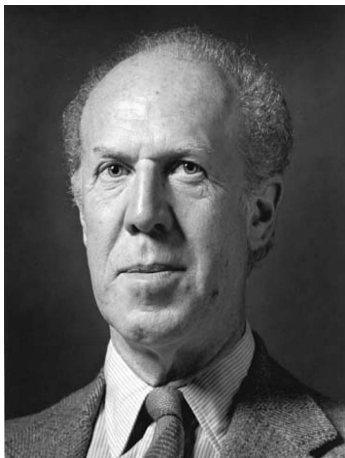
The thought experiment:

- Suppose we want to represent a person's preference relation (\succeq) with a numeric *utility function* such that $u(x) > u(y)$ if and only if $x \succ y$. Can we?

The answer:

- If \succeq is rational (complete and transitive) and continuous (an additional assumption): YES!

Gérard Debreu



Gérard Debreu

The *ordinal* utility function

$$u : X \rightarrow \mathbb{R}$$

In English:

- u is a function
- You put in an option/alternative.
- It spits out a real number.

Debreu proves that, for any preference relation (\succeq) that meets his conditions, there exists a continuous *ordinal* utility function (u) such that, for all $x, y \in X$:

$$u(x) > u(y) \iff x \succ y$$

Ordinal utility: an example

An example:

- Suppose $u_i(\text{gun}) = 4$ and $u_i(\text{lollipop}) = 2$.
- Note that $u_i(\text{gun}) > u_i(\text{lollipop})$.
- This means that i likes the gun more than the lollipop.
- That is, $\text{gun} \succ_i \text{lollipop}$.

A question:

- $u_i(\text{gun})$ is twice as big as $u_i(\text{lollipop})$.
- Does this mean that i likes the gun *twice as much*?
- Answer: NO!

Uncertainty

How do we assign utility values to lotteries?

- Again, let $u_i(\text{gun}) = 4$ and $u_i(\text{lollipop}) = 2$.
- Let L be a lottery ticket such that i wins either the gun or the lollipop, each with 50% probability.
- What is $u_i(L)$?

John von Neumann and Oskar Morgenstern



John von Neumann



Oskar Morgenstern

The von Neumann-Morgenstern utility theorem

What we need:

- A couple extra assumptions on \succeq relating to lotteries.

What the theorem gives:

- A *cardinal* utility function representation
 - Now we can say that the gun is twice as good as the lollipop.
- Expected utility maximization
 - We can also say that $u(L) = 3$.
 - Come back to this in intermediate micro. 😊

Choice with utility functions

Suppose:

- Agent i has utility function u_i .
- Agent i has two options, i.e. $X = \{x_1, x_2\}$
- $u_i(x_1) = 7$ and $u_i(x_2) = 4$.

What should i pick?

$$7 = \max_{x \in X} u_i(x), \quad x_1 = \arg \max_{x \in X} u_i(x)$$

In English: 7 is the maximum utility agent i can get from his choices. x_1 is the option (or argument) that maximizes $u_i(x)$, achieving $u_i(x_1) = 7$. **Agents choose by maximizing utility!**

The significance

Why does all of this matter?

- We know people have preferences that we can model with \preceq .
 - I can ask you if you prefer the gun or the lollipop.
- It would be easier to model peoples' choices if they all had utility functions and made decisions by maximizing them.
 - You will see this throughout this term.
- These results prove that people with preferences meeting minor assumptions will behave **as if** they were maximizing utility functions.

We don't believe that people make decisions by maximizing utility functions, but we can model them as if they did.

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Review of reading (1)

Why study economics?

- To learn a way of thinking
- To understand global affairs
- To be an informed citizen

Review of reading (2)

Key concepts:

Opportunity cost

The best alternative that we forgo, or give up, when we make a choice or a decision.

Marginalism

The process of analyzing the additional or incremental costs or benefits arising from a choice or decision.

Efficient market

A market in which profit opportunities are eliminated almost instantaneously.

Review of reading (3)

Key concepts:

Descriptive economics

The compilation of data that describe phenomena and facts.

Economic theory

A statement or set of related statements about cause and effect, action and reaction.

Review of reading (4)

Key concepts:

Model

A formal statement of a theory, usually a mathematical statement of a presumed relationship between two or more variables.

Variable

A measure that can change from time to time or from observation to observation.

Ockham's (or Occam's) razor

Book says: "The principle that irrelevant detail should be cut away." I say: "The simplest solution is most often the best."

Review of reading (5)

Key concepts:

Ceteris paribus (or all else equal)

A device used to analyze the relationship between two variables while the values of other variables are held unchanged.

Review of reading (6)

Key concepts:

Efficiency

Book says: “In economics, allocative efficiency. An efficient economy is one that produces what people want at the least possible cost.” I say: “That’s part of it, but we’ll define it better later on.”

Equity

Book says: “Fairness.” I say: “Well, kinda...”

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Discussion

Where does economics fit within the hard and social sciences?

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Next time

Next class: Tomorrow

Reading: Pages 1-14 of Friedman (1953). Find it at:

<http://www.shaneauerbach.com/teaching/16su101>

Plan:

- Discuss Friedman's article.
 - Positive and normative economics
 - Models and assumptions
- More on utility functions.